The importance of different timings of excitatory and inhibitory pathways in neural field models

(2005 13 2005 15 2005)

Abstract

Keywords:

Introduction

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Stationary bump solutions

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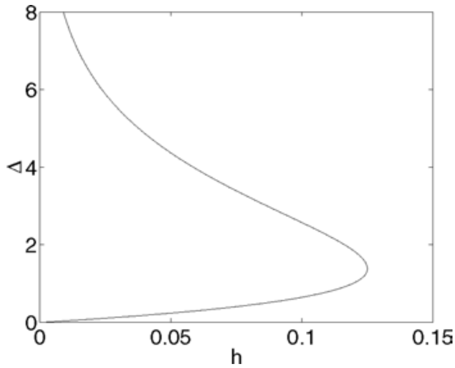

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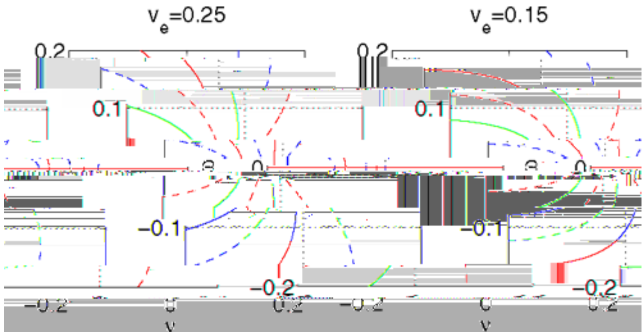
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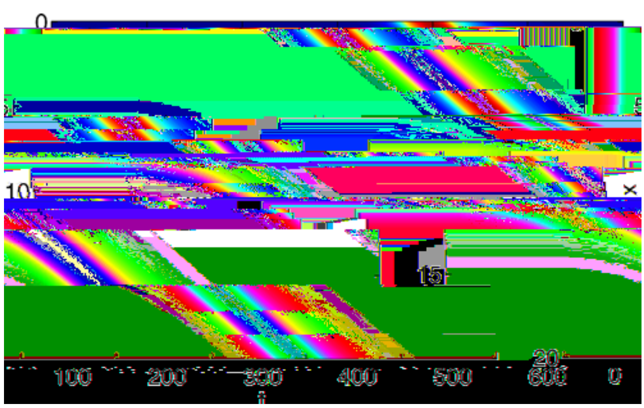
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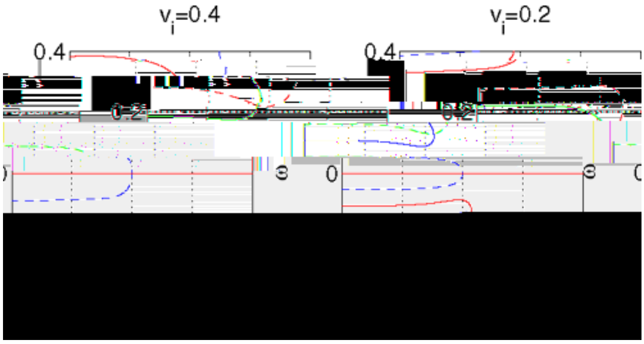

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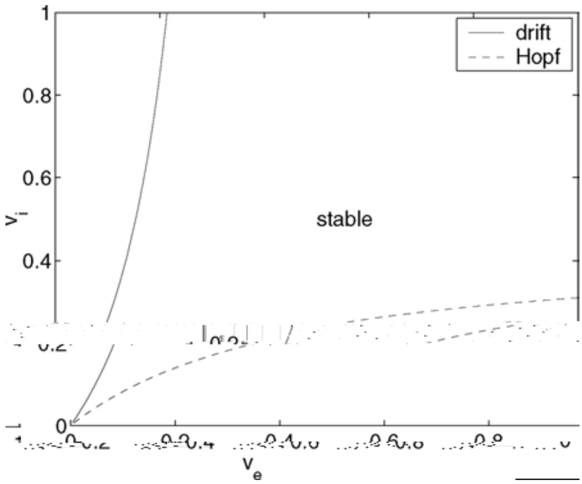

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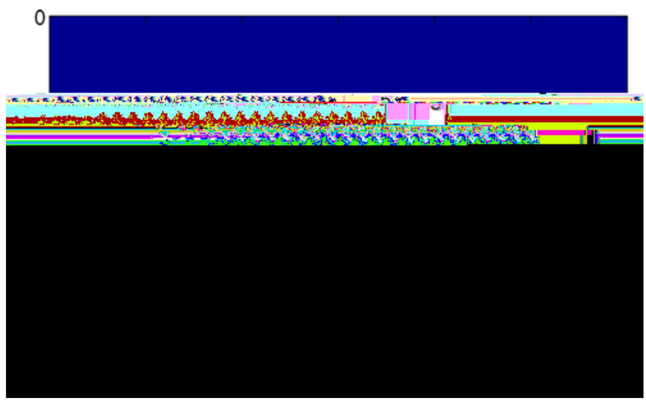

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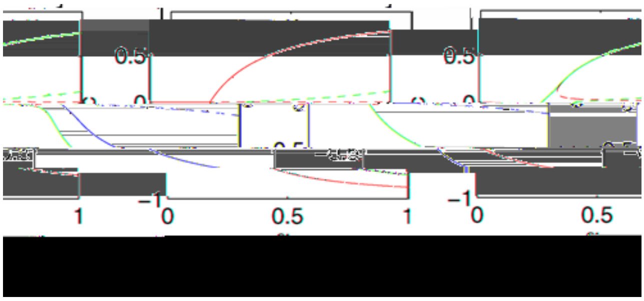
Travelling wave solutions



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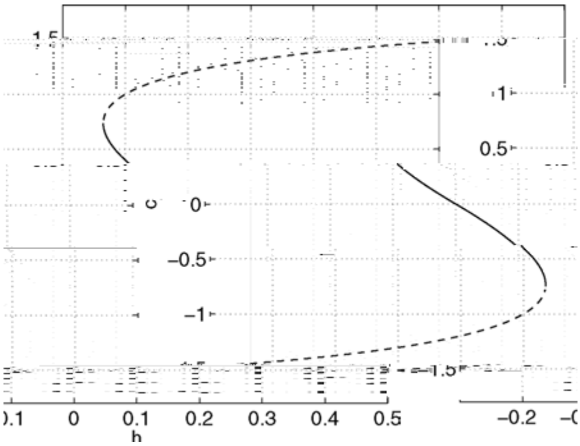

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Other solutions

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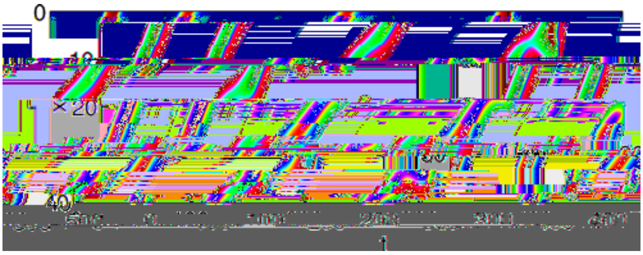

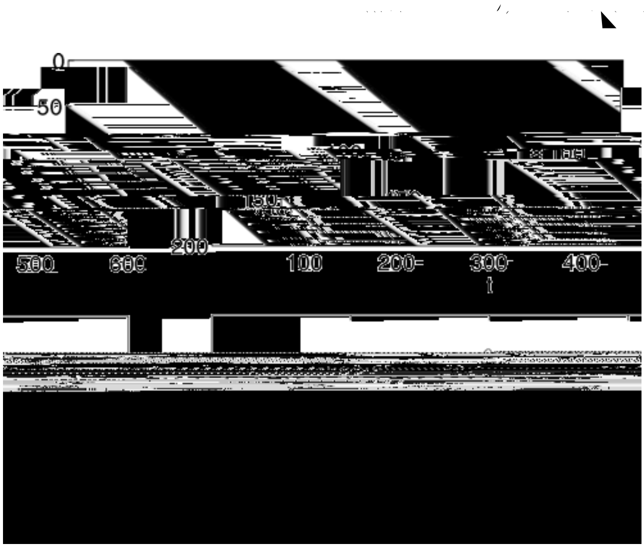
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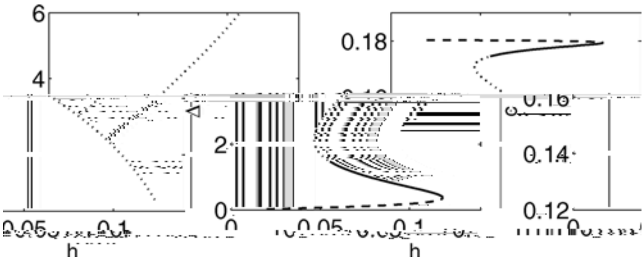

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Discussion

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Acknowledgements

References